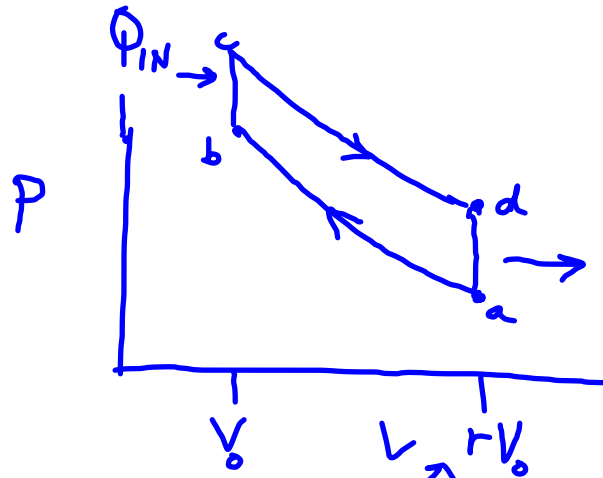
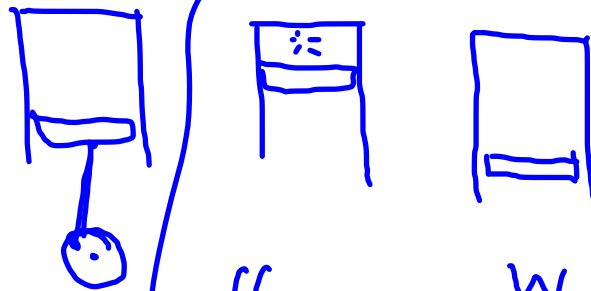


Internal Combustion Engines

Otto Cycle



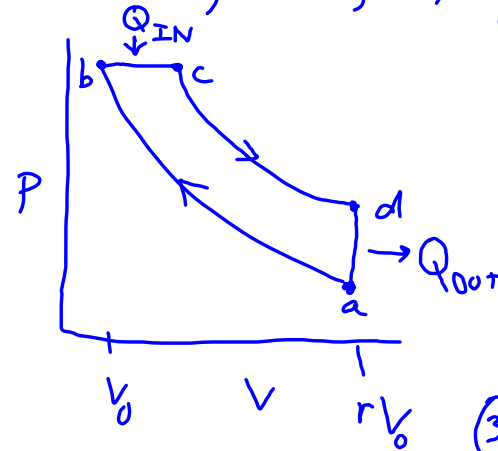
- ① Adiabatic compression of fuel-air mixture to higher pressure
- ② Heat added by spark-plug initiated burning of gasoline
- ③ Power stroke. Piston expands and does work
- ④ Heat lost to environment as expanded piston loses heat



$$\text{efficiency} = \frac{W}{Q_{IN}}$$

$r = \text{compression ratio } (\sim 8 \text{ for cars})$

Diesel Engine (cycle)



① (a→b) Compression stroke. Air compressed to high pressure & temperature. No fuel in cylinder.

② (b→c) Heat added as fuel is injected and begins to burn due to high temp

③ (c→d) Power stroke.

Engine does work as cylinder expands

④ Cylinder cools giving off heat to environment (d→a)

Advantage over

the Otto cycle — No "knocking"

(premature ignition of fuel). So higher

compression ratios are possible.

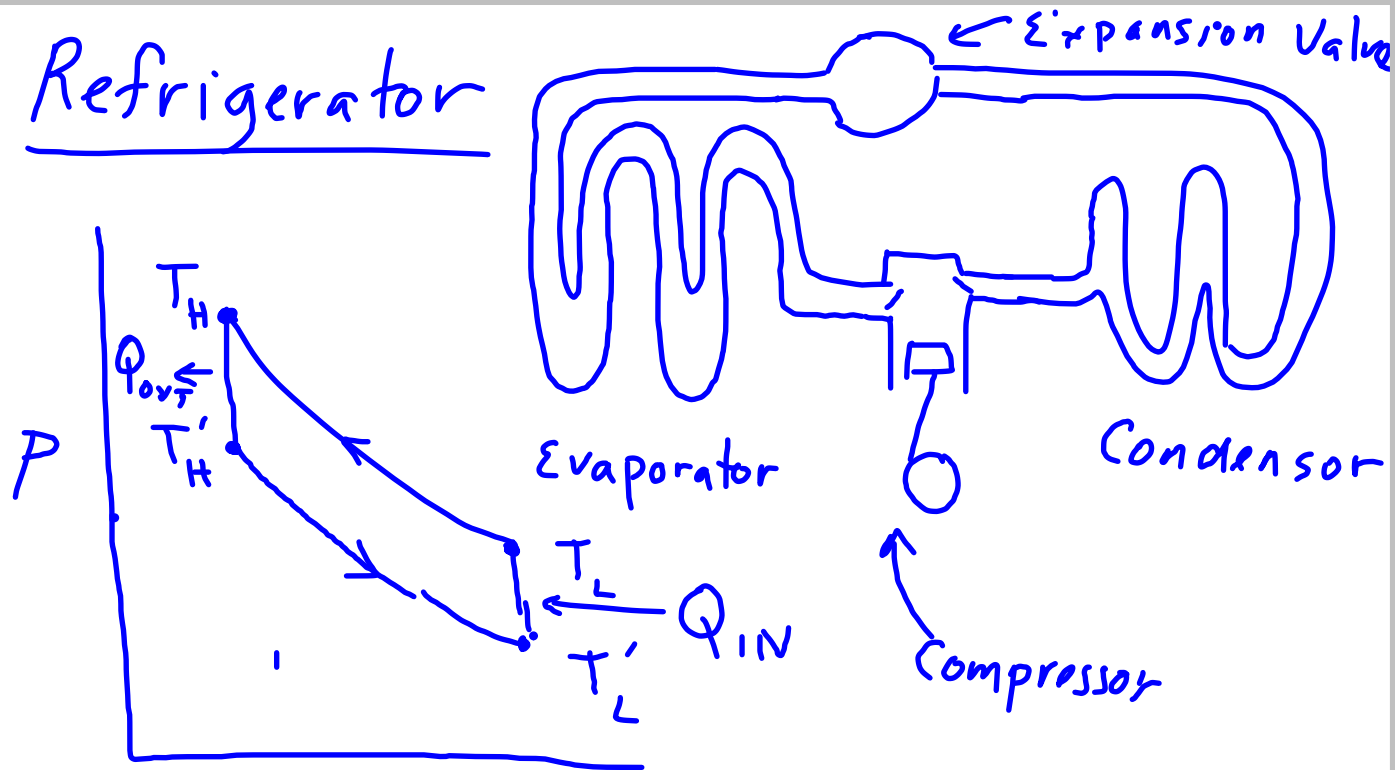
$r \approx 15-20$

↑ requires large cylinder

⇒ large engine.

[best used for trucks, buses]

Refrigerator

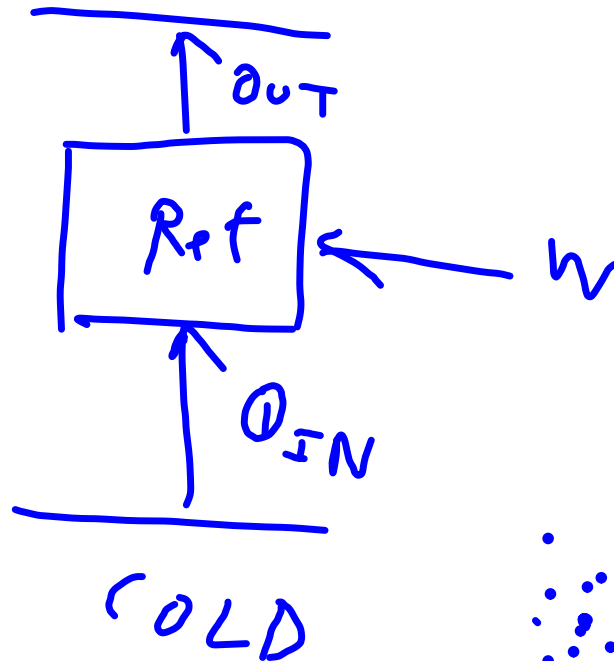


$$T_H > T_{\text{OUTSIDE}} (\leq T_H')$$
$$T_L' < T_{\text{INSIDE}} (\geq T_L)$$

Refrigerator requires
INPUT of mechanical work.
[Heat engine delivers OUTPUT
of mechanical work]

Performance of Fridge

$$\text{perf} = \frac{Q_{IN}}{W}$$

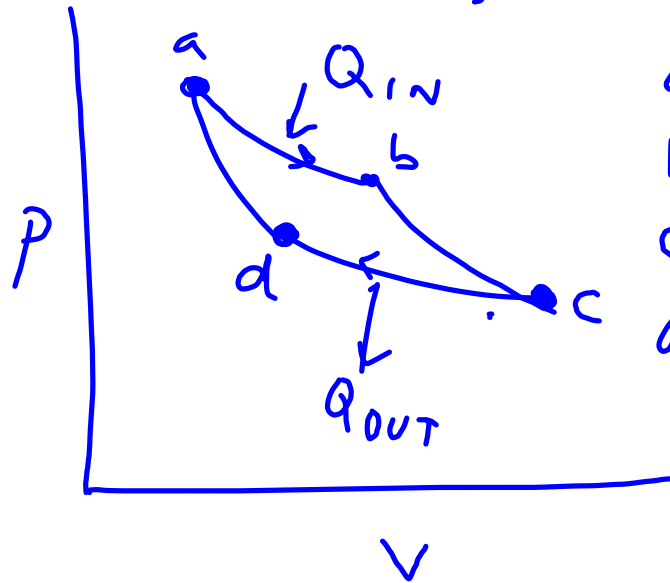


2nd Law:

perf cannot be infinite
i.e. $W > 0$

Most Efficient Engine Possible

Carnot Engine



a-b: isothermal
b-c: adiabatic
c-d: isothermal
d-a: adiabatic

$$Temp_{a-b} = T_H$$

$$Temp_{c-d} = T_C$$

$$\text{efficiency: } e = 1 - \frac{T_C}{T_H}$$

$$\frac{Q_{OUT}}{Q_{IN}} = \frac{-T_C}{T_H}$$